

# Freight in the Time of Covid: Estimating a Model of US Trucking

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November 11, 2025

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## Abstract

Trade models typically ignore the freight transportation industry. I develop a model of the US trucking industry that can replicate observed patterns in transport prices, including inverse and spatial correlations in transportation prices, while remaining tractable enough to be embedded within a trade model and quantified using market-level data. Rather than being treated as fixed and exogenous, trade costs emerge endogenously as the market-clearing prices of the freight transportation industry. I estimate my model's key supply parameter using instruments based on Covid-era shocks to US container import quantities. Finally, I use a simple calibration of my spatial model to estimate how changes in freight transportation prices affected goods prices and consumer welfare following the onset of Covid, and I find that changes in transport markets were primarily demand-driven.

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**Acknowledgments.** I thank Kirill Borusyak, Thibault Fally, Cecile Gaubert, Andrés Rodríguez-Clare, James Sallee, Joseph Shapiro, Sofia Villas-Boas, and seminar participants at UC Berkeley for their helpful comments.

# 1 Introduction

Freight transportation is a key industry. Different theories of trade explain how consumers can benefit from access to traded goods, including comparative advantage and increasing returns to scale in production, but all gains from trade rely on freight carriers that physically move the products. Despite its importance, trade economists usually ignore the role of the freight transportation industry and assume trade costs take a fixed, iceberg form where a constant fraction of goods melts in transit. This assumption makes the transport sector invisible. In reality, freight carriers are active agents who reallocate capacity across locations when demand shifts and whose actions affect equilibrium prices. If transport supply is itself elastic, forward-looking, and subject to physical frictions, then trade costs are not fixed objects, but are determined in equilibrium.

This paper develops and estimates a model of trucking supply in the United States that embeds the behavior of freight carriers directly into a spatial trade environment. The model is designed to be (i) rich enough to match key features of observed trucking prices and quantities, and (ii) tractable enough to take to market-level data and to integrate with a standard Armington-style demand system. I use the model to quantify how trucking capacity reallocated during the Covid-era import boom, how that reallocation affected transport prices across U.S. cities, and how much of the heterogeneity in goods inflation across cities can be attributed to changes in transport costs.

The first part of the paper documents four empirical facts about U.S. trucking in 2017–2023. I construct a quarterly panel of lane-level (origin–destination) prices and quantities for full truckload shipments across 51 U.S. metro areas. I begin by showing that transport prices have two striking features in the cross section. First, they are inversely correlated across directions: cities that are expensive to ship *from* are relatively cheap to ship *to*, and vice versa. Second, they are spatially smooth: neighboring cities tend to have similar origin premia, even after controlling for distance. I argue that both patterns are consistent with forward-looking behavior by truck drivers who can travel empty — “deadhead” — between cities when searching for their next load. A driver who delivers to a high-price outbound market is willing to accept a low inbound price to get there, generating the inverse correlation; and the ability to deadhead limits the extent to which prices can diverge sharply across neighboring cities. Consistent with this interpretation, I show that some cities experience large net outflows of loaded trucks while others experience persistent net inflows, which is only possible if drivers routinely move empty between markets.

Next, I link transport prices to downstream consumer prices. I map observed changes in trucking prices into predicted changes in local goods price indices, and I compare these predictions to Bureau of

Labor Statistics consumer price indices for goods in U.S. metro areas. I find that cities facing larger increases in incoming trucking costs experienced higher goods inflation, and that variation in transport prices can explain a meaningful share (on the order of 8%) of the cross-city dispersion in goods inflation over this period. This result shows that the timing and spatial pattern of goods inflation is consistent with pass-through of transport prices into goods prices.

Finally, I show that increases in containerized imports to major U.S. gateways (e.g., Los Angeles/Long Beach, Houston, Savannah, New York/New Jersey, and key crossings on the U.S.–Mexico border) generated large movements in trucking prices and market shares. Following an import surge at a port, outbound trucking prices and quantities from that port increase. At the same time, inbound prices into that port *fall*, and inbound volume increases. This pattern is difficult to rationalize with a purely static, one-period view of supply. It is natural if carriers are forward-looking and treat the port as a high-value location to be in next period: they are willing to accept lower inbound pay now in order to gain access to high-paying outbound freight tomorrow.

Guided by these facts, I build a model of transport supply based on forward-looking drivers who choose which lanes to serve in each period. The model draws on the dynamic discrete choice framework used to study worker migration across regions (Artuç et al., 2010; Caliendo et al., 2019), adapted to the trucking setting. In the model, a driver who ends the period in city  $i$  chooses a lane  $(j, k)$  for the next period: she may drive empty from  $i$  to  $j$ , haul a paying load from  $j$  to  $k$ , earn current-period revenue  $r_{jk}$  net of operating costs, and then begin the following period in city  $k$ . Drivers care not only about current profits but also about the *continuation value* of being in  $k$ , since  $k$  may offer attractive outbound opportunities. For tractability, I assume i.i.d. Gumbel preference shocks across lanes. This delivers expressions for two key objects: (i) the expected value  $V_i$  of starting a period in city  $i$ , and (ii) the probability that a driver in city  $i$  chooses any given lane  $(j, k)$ . Allowing drivers to deadhead implies that every city is mutually reachable with positive probability, which guarantees that the system has a unique steady-state distribution of drivers across cities and a unique steady-state flow of trucks on every lane. This steady state is what I call transport supply.

I then estimate the model using market-level data. There are two main ingredients. First, I calibrate the per-mile cost of deadheading,  $d$ , using industry evidence on variable operating costs (fuel, driver time, and maintenance), and treat all remaining per-lane operating costs as unobserved cost shifters  $\xi_{jk}$ . Second, for any candidate value of the key behavioral parameter  $\alpha$  — the parameter that governs how sharply drivers reallocate toward more profitable lanes — I invert the model quarter-by-quarter to recover the cost shifters  $\xi_{jk,t}(\alpha)$  that rationalize observed prices and quantities in that quarter. This inversion

is a high-dimensional nonlinear problem: changing  $\xi_{jk,t}$  affects drivers’ payoffs, which affects their location values  $V_i$ , which affects lane choice probabilities, which determines the steady-state allocation of drivers across cities, which determines predicted quantities. I solve this numerically using gradient-based optimization in JAX.

With these recovered costs in hand, I estimate  $\alpha$  using a GMM procedure that leverages import surges as demand shocks. The logic mirrors the demand-estimation strategy in empirical industrial organization. If I guess an  $\alpha$  that is too high, the model assumes that drivers are “too responsive;” when market shares increase less than expected given an increase in price, the model infers a increase in cost, so import shocks will appear positively correlated with inferred cost increases. If I guess an  $\alpha$  that is too low, the opposite occurs. I choose  $\alpha$  so that changes in recovered costs are orthogonal to changes in port-level imports at the lane’s origin and destination, controlling flexibly for time effects, city-by-quarter effects, and lagged changes in imports. The resulting estimates imply that drivers are responsive but not frictionless.

Finally, I use the estimated model to run two counterfactual exercises. First, I simulate a demand shock for goods leaving each of several major ports. The model reproduces a key pattern in the data: shocks at Los Angeles/Long Beach generate large transport price increases not only in Los Angeles but also in nearby markets. The key feature of Los Angeles that generates these spillovers is that Los Angeles is a massive net exporter of loaded trucks, so many drivers from nearby cities drive empty to Los Angeles to pick up loads. When outbound demand at Los Angeles rises, shippers in nearby cities are also forced to pay drivers higher rates. Second, I decompose the Covid-era changes in trucking prices and market shares between 2019 and 2021 into a “demand” component and a “cost” component. Holding costs fixed but allowing demand for specific lanes to surge captures the large reallocation of freight across lanes observed in the data. Holding demand fixed but allowing operating costs to rise captures much of the change in trucking prices, but none of the change in market shares. Together, these counterfactuals suggest that Covid-era market turbulence in trucking was driven primarily by a shift in where shippers wanted goods moved, though cost changes contributed to observed changes in transport prices.

This paper contributes to two literatures. First, it contributes to the quantitative spatial trade literature that studies how trade costs shape welfare (Redding and Rossi-Hansberg, 2017). In that literature, trade costs are almost always assumed to be exogenous iceberg costs (important exceptions include Allen and Arkolakis (2022) and Wong (2022)). I replace iceberg trade costs with an explicit transport sector whose prices and capacity allocation arise in equilibrium. Second, this paper is related to work that models transportation itself. Brancaccio et al. (2020) estimate a rich model of global bulk shipping; Yang (2024) builds on that framework to study U.S. trucking, though with the restriction that

drivers cannot move empty between cities. I build a model in the same spirit, with (i) forward-looking, location-valuing drivers who choose where to be next, and (ii) the ability to drive empty between cities. But I ensure that my model remains sufficiently tractable to be incorporated into a quantitative spatial framework. The result is a framework in which transportation is not just a cost wedge in a gravity equation, but an allocative sector whose behavior can be measured and used to interpret how transport supply interacts with the broader economy in equilibrium.

## 2 Data and Setting

### 2.1 Trucking Data

My data on US trucking comes from DAT Freight & Analytics. Among other services, DAT hosts one of the industry’s largest “load boards,” where shippers (transport customers) post the details of loads they need moved. Carriers (motor carriers, which in practice are often individual owner-operators or small trucking firms) observe available loads and contact shippers to negotiate a one-off contract for that specific load. These one-off transactions take place in the “spot market,” in contrast to longer-term “contract market” arrangements. My data from DAT are primarily drawn from spot market transactions, but about 25% of observed shipments are associated with longer-term contracts.

DAT defines geographies for origins and destinations using “Key Market Areas,” which roughly correspond to major Metropolitan Statistical Areas. I combine adjacent Key Market Areas in New York City, Los Angeles, and Dallas-Fort Worth so that they better match economically integrated metro regions. After this aggregation, I work with 51 hubs, which I will refer to as metro areas.

For each origin–destination pair (“lane”) and quarter, I observe the average all-in price actually paid per loaded trip (dollars per load, including line-haul charges). I pool spot and contract transactions and treat this shipment-weighted average as the effective price to move one truckload between two cities. Furthermore, my data represent “dry van” loads, which are loads in standard 53-foot containers (as opposed to refrigerated containers or flat-bed trailers). For each origin–destination pair and each quarter from 2017Q1 through 2023Q4, I observe the average transport price for loads between 51 US metro areas. I also observe the number of completed dry van shipments on each lane in that quarter, which I use as a measure of shipped quantity. I focus on freight transport between, rather than within, cities; shipments whose origin and destination fall in the same hub are excluded.

## 2.2 Import Shocks and Border Crossings

To measure plausibly exogenous shocks to US freight demand, I assemble data on imported container volumes at major seaports and truck crossings from Mexico. These series report the number of loaded import containers (measured in full truckload-equivalent units) arriving each quarter. I convert seaborne container counts to truckload-equivalent units using standard container-to-truck ratios (2 twenty-foot equivalent units to 1 truck). I assign each port or border crossing to their corresponding market area (for example, the Ports of Los Angeles and Long Beach are mapped to the Los Angeles hub) and treat changes in inbound volume as shocks to outbound trucking demand from that hub in that quarter.

Data for seaports were downloaded from port websites for the ports of Los Angeles, Long Beach, New York-New Jersey, Savannah, Houston, Oakland, Tacoma-Seattle, and Virginia. I also use information on the number of loaded trucks that cross the US-Mexico border at each point of entry, available from the US Department of Transportation “Border Crossing Entry Data.”

Under US cabotage rules, most Mexican-domiciled carriers cannot haul a load deep into the US interior. Instead, they typically hand off freight near the border to US-domiciled carriers which creates a localized surge in outbound truck demand originating near that crossing. By contrast, Canadian carriers are often permitted to move goods directly to US interior destinations before unloading. For identification, I therefore treat changes in inbound Mexican truck traffic and seaborne container imports as shocks that raise outbound truck demand in the corresponding US cities in that quarter, while I exclude Canadian crossings, which are less geographically anchored to the border.

## 2.3 Auxiliary Data for Demand Calibration

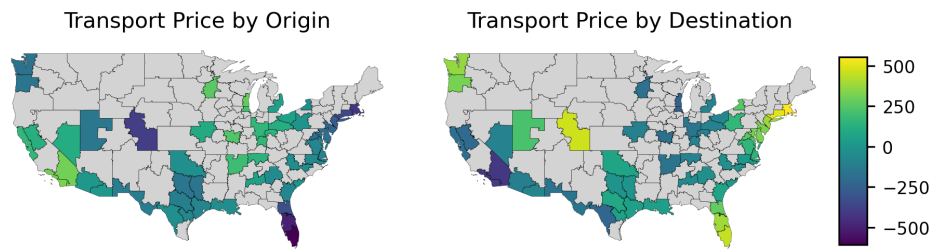
I use data from the Freight Analysis Framework dataset (FAF5) to calibrate my demand system ([U.S. Department of Transportation, 2017](#)). I use FAF5 to measure bilateral expenditure shares across city pairs (i.e., the share of a destination city’s total trucked spending that is sourced from each origin). Mapping from my freight hubs to FAF5 regions is straightforward, and expenditure shares are reported in terms of these 51 hubs. FAF5 also reports the average dollar value per pound of trucked goods. I use this to infer the share of final-goods prices that can be attributed to transportation costs. Together, the bilateral expenditure shares and this transport-cost share serve two roles. First, they allow me to estimate how changes in trucking prices pass through into goods inflation in the descriptive facts. Second, they discipline the CES demand system I use in the counterfactual simulations.

Finally, to study pass-through into consumer prices, I use Bureau of Labor Statistics Consumer Price

Index series for goods (“Commodities”) at the metro level (U.S. Bureau of Labor Statistics, 2025). I use the indices available for nine large metro areas (San Francisco, Miami, Atlanta, Chicago, Boston, New York, Dallas-Fort Worth, Houston, and Seattle) and match them to the corresponding freight hubs in my data to compare local retail goods inflation with changes in local trucking prices.

### 3 Stylized Facts

#### Fact 1: Transport Prices are Spatially and Inversely Correlated



**Figure 1:** Origin (left) and destination (right) price premia across U.S. metro areas in 2017. Each panel shows the estimated fixed effect from a regression of lane-level transport prices on origin and destination dummies, controlling for distance. Lighter colors indicate higher prices.

I begin by characterizing the cross-sectional pattern of trucking prices in 2017. I focus on 2017 because it predates the large import-driven shocks of 2020-2022 and reflects a relatively stable pre-pandemic trucking market. Let  $r_{jk}$  denote the average all-in price per loaded trip (in dollars per load) to move one truckload from origin  $j$  to destination  $k$ . I estimate the following regression:

$$r_{jk} = \gamma_j + \delta_k + \beta \text{dist}_{jk} + \epsilon_{jk},$$

where  $\gamma_j$  is an origin fixed effect,  $\delta_k$  is a destination fixed effect, and  $\text{dist}_{jk}$  is shortest-route distance (in miles) between  $j$  and  $k$ . The origin effect  $\gamma_j$  measures how expensive it is, on average, to ship *out of* city  $j$  (holding distance and destination constant), and the destination effect  $\delta_k$  measures how expensive it is to ship *into* city  $k$ .

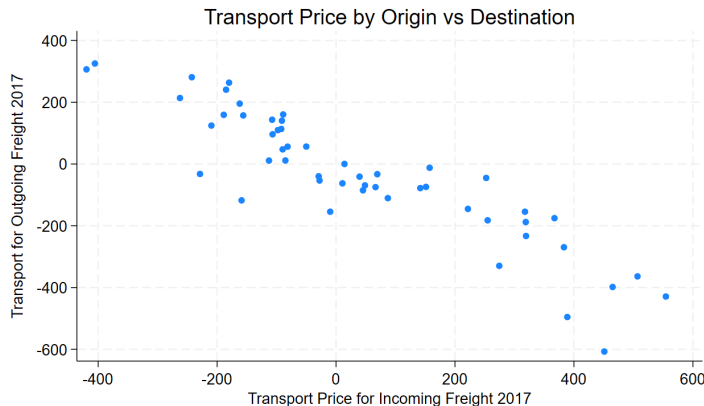
Figure 1 plots these estimated origin and destination premia across the 51 freight hubs in my data. Two robust patterns emerge:

**(i) Prices are spatially correlated.** Nearby cities look similar. High-price origins tend to be surrounded by other high-price origins, and the same is true for destinations. In other words, the color

gradient in each panel changes smoothly across geography rather than jumping discretely at city borders. This spatial smoothness in  $\gamma_j$  and  $\delta_k$  suggests that whatever is driving high or low prices in one metro area is not purely local, but spills over to its neighbors.

**(ii) Origins and destinations are inversely correlated.** Cities that are expensive to ship *from* tend to be cheap to ship *to*, and vice versa. Los Angeles, for example, has a high origin premium (it is expensive to ship out of Los Angeles) but a low destination premium (it is relatively cheap to ship into Los Angeles).

I make this more explicit in Figure 2, which plots each city’s estimated origin premium  $\hat{\gamma}_j$  against its estimated destination premium  $\hat{\delta}_j$ . The relationship is strongly negative.



**Figure 2:** Origin vs. destination price premia for each metro area in 2017. Each point is a city. The y-axis is the estimated origin fixed effect  $\hat{\gamma}_j$ ; the x-axis is the estimated destination fixed effect  $\hat{\delta}_j$ .

I interpret these two empirical facts—spatial smoothness and an inverse origin–destination relationship—as evidence of forward-looking, supply-driven pricing. In particular, both patterns arise naturally if truck drivers (i) choose loads while accounting for where to position themselves next, and (ii) can drive empty when it is profitable to relocate.

To see the intuition, consider a city with abundant outbound freight demand. In such a city, shippers that need to move goods *out* must pay high prices because outbound capacity is scarce; this produces a high origin premium  $\gamma_j$ . At the same time, carriers are eager to end up in that city to access those lucrative outbound loads. They are therefore willing to haul freight *into* that city at relatively low prices—driving down its destination premium  $\delta_j$ . This mechanism generates exactly the negative relationship between  $\gamma_j$  and  $\delta_j$  in Figure 2.

Could these patterns be explained by demand alone? First, explaining the *inverse* correlation is difficult with demand: if a city is an attractive destination (strong demand to ship *into* it), there is no



obvious reason why demand to ship *out of* that same city should simultaneously be weak. If anything, large and active cities should have high shipping demand in both directions. Second, while spatial correlation in prices could in principle reflect spatial correlation in demand (e.g., neighboring cities having similar production structure), the degree of spatial smoothness in Figure 1 is stronger than what we observe in population or output alone.

Instead, both stylized facts line up naturally with a supply system in which carriers are forward-looking and mobile: carriers internalize the value of being in a particular city next period, and are willing to reposition (even empty) across nearby cities to capture that future value. In Section 4 I build a dynamic model of transport supply with exactly these features, and I show that the model reproduces both the spatial pattern and the inverse origin–destination relationship in observed prices.

## Fact 2: Drivers Frequently Deadhead

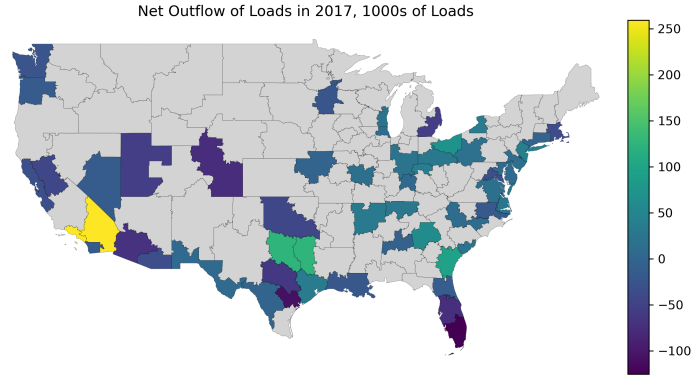
The spatial correlation in prices from Fact 1 suggests that drivers can reposition across cities, even without carrying freight. In the industry this is called “deadheading”—driving empty to a new location to access better outbound loads. Here I show direct evidence that such repositioning must be occurring at scale. I focus on 2017, which predates the large Covid-era import surges and associated capacity shocks, and reflects typical pre-pandemic routing patterns. All volumes are dry van truckloads.

For each metro area, I compare the number of loaded trips arriving in 2017 to the number of loaded trips departing in 2017. If every truck that arrived with a load also left with a load, then arrivals and departures would necessarily match in every city. In practice, they do not.

Figure 3 plots net outbound volume, defined as (loads departing  $j$ ) – (loads arriving  $j$ ). Some cities are strong net exporters of outbound truckloads, and others are strong net importers. For example, I observe roughly 530,000 loaded trips arriving in Los Angeles in 2017, but nearly 800,000 departing. Miami shows the opposite pattern: about 200,000 arrivals but only 75,000 departures.

These imbalances are only possible if trucks frequently move between cities without carrying freight. A city like Los Angeles cannot ship out 800,000 paid loads while only receiving 530,000 paid loads unless additional trucks are flowing in empty. Likewise, Miami cannot absorb vastly more inbound loads than it ships outbound unless trucks are leaving Miami empty to reposition elsewhere.

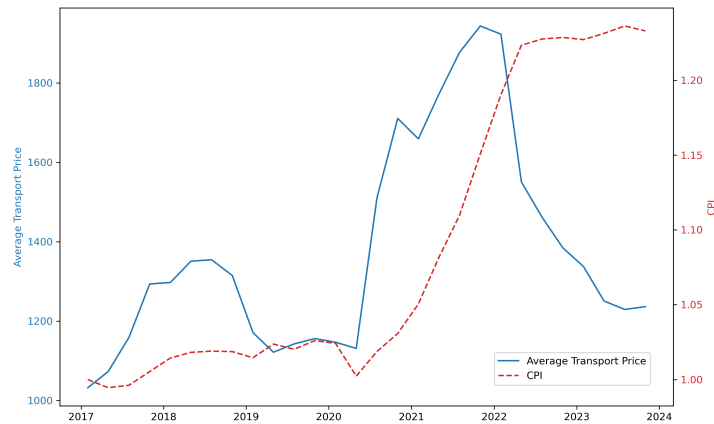
The magnitudes of these net flows indicate that deadheading is not a rare, last-resort behavior—it is a first-order feature of how U.S. long-haul trucking operates. This motivates a model in which drivers are forward-looking and choose where to locate next period, and in which empty repositioning is an explicit option.



**Figure 3:** Net outbound truckload volume (dry vans) by metro area in 2017. For each city  $j$ , I compute (loads departing  $j$ )  $-$  (loads arriving  $j$ ). Positive values indicate net exporters of freight; negative values indicate net importers.

### Fact 3: Transport Prices Help Predict Cross-City Differences in Goods Inflation

I now study how changes in transport prices line up with changes in retail goods prices, both over time and across cities. Figure 4 plots the average all-in trucking price (dollars per loaded trip) alongside the Consumer Price Index for goods (“Commodities”) from 2017 through 2023. Both series rise sharply after the onset of Covid: average trucking prices nearly double between 2020 and 2021 before falling back, while the goods CPI increases by almost 30% and then levels off rather than returning to its pre-pandemic level.



**Figure 4:** Average trucking prices and the Consumer Price Index for goods in U.S. cities, 2017–2023. Trucking prices are shipment-weighted averages across all lanes in each quarter; the CPI series is the BLS “Commodities” index, normalized to 1 in 2017Q1.

The aggregate comovement in Figure 4 suggests that high transport prices coincided with high goods inflation, but it does not imply that transport prices were the main driver of national inflation. To get

closer to the role of trucking costs, I next ask whether *differences* in transport prices across cities line up with *differences* in goods inflation across those same cities.

For goods prices, I use the “Commodities” Consumer Price Index series reported by the Bureau of Labor Statistics for nine large metro areas (San Francisco, Miami, Atlanta, Chicago, Boston, New York, Dallas-Fort Worth, Houston, and Seattle). For each city, I normalize its CPI to 1 in 2017Q1 and then subtract the national mean in each quarter. This yields a series that captures “how much more (or less) goods inflation this city experienced than the U.S. average” over time.

For transport prices, I estimate destination–time effects from a panel regression of shipment prices on origin-time and destination-time terms. Let  $r_{jkt}$  be the average all-in price per loaded trip from origin  $j$  to destination  $k$  in quarter  $t$ . I estimate

$$r_{jkt} = \gamma_{jt} + \delta_{kt} + \beta_t \text{dist}_{jk} + \epsilon_{jkt},$$

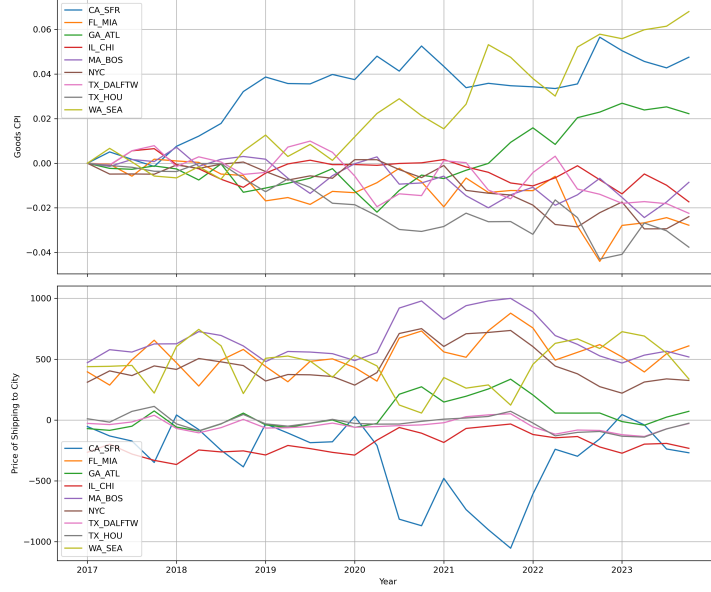
where  $\gamma_{jt}$  is an origin-by-quarter fixed effect,  $\delta_{kt}$  is a destination-by-quarter fixed effect, and  $\text{dist}_{jk}$  is the shortest-route distance between  $j$  and  $k$ , interacted with quarter  $t$  through  $\beta_t$  to allow distance-related operating costs to vary over time. The destination-time effect  $\delta_{kt}$  captures how expensive it is, in quarter  $t$ , to ship a typical load *into* city  $k$ , relative to other cities in that same quarter.

Figure 5 plots these two objects. The top panel shows heterogeneity in goods inflation across cities. The bottom panel shows heterogeneity in destination-specific trucking prices across cities. Both panels reveal large and persistent geographic gaps. For example, the top panel shows that Seattle experiences roughly 10 percentage points more cumulative goods inflation than Houston over this period. In the bottom panel, the price gap between shipping into Boston versus shipping into San Francisco widens from roughly \$500 per load in early 2020 to nearly \$2,000 per load at the end of 2021, before narrowing in 2022.

The basic prediction from a standard spatial trade framework is that higher inbound transport costs into a city should raise that city’s retail goods prices. Consider a simple Armington environment in which each origin  $j$  produces a truckload of a distinct good at constant marginal cost  $b_j$ , and goods are sold in destination  $k$ . Under perfect competition, the delivered price of good  $j$  in market  $k$  is

$$p_{jk} = b_j + r_{jk},$$

where  $r_{jk}$  is the transport price to move one truckload from  $j$  to  $k$ . If consumers in  $k$  have CES preferences,



**Figure 5:** Cross-city variation in goods inflation (top) and destination-specific trucking prices (bottom), 2017–2023. Top panel: each city’s goods CPI, normalized to 1 in 2017Q1 and demeaned by quarter. Bottom panel: destination-by-quarter fixed effects  $\hat{\delta}_{kt}$  from the price regression, demeaned by quarter.

then the change in  $k$ ’s log CES price index  $P_k$  from a small change in log transport prices is approximately

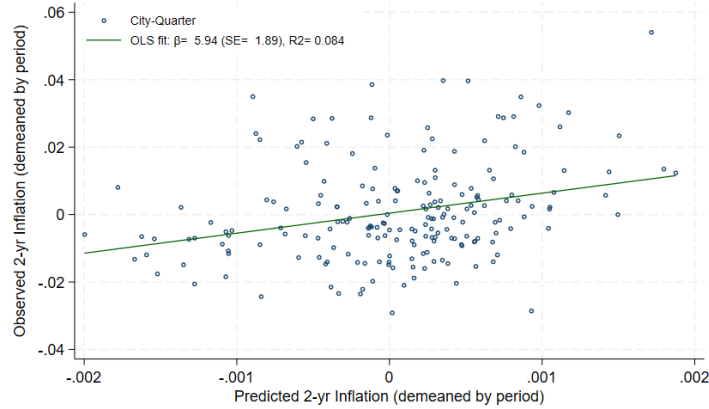
$$d \log P_{kt} = \sum_j s_{jk} \frac{r_{jk}}{b_j + r_{jk}} d \log r_{jkt}, \quad (1)$$

where  $s_{jk}$  is the share of destination  $k$ ’s total spending on trucked goods that come from origin  $j$  and where  $\frac{r_{jk}}{b_j + r_{jk}}$  is transport price’s share of the goods price (estimated to be about 2%). Intuitively: a destination’s cost of living is most sensitive to transport price changes (i) on the origins it buys a lot from, and (ii) on lanes where transport costs make up a large share of delivered cost.

To implement (1), I proceed as follows. I treat a truckload as 40,000 pounds of goods, and I use FAF5 to measure two objects as of 2017: (i) bilateral expenditure shares  $s_{jk}$ , i.e. the share of  $k$ ’s trucked spending sourced from  $j$ , and (ii) the average dollar value per 40,000 pounds shipped from  $j$ , which I use as  $b_j$  (the production cost of one truckload). Holding  $b_j$  and  $s_{jk}$  fixed at their 2017 levels, I feed in observed two-year changes in lane-level trucking prices,  $d \log r_{jkt}$ , and compute the implied change in  $P_{kt}$  for each destination  $k$  and period  $t$ . By construction, predicted price index effects only capture the effects of changes in transport prices.

Finally, I compare these model-predicted changes in  $P_{kt}$  to the actual changes in the goods CPI for the nine cities where the BLS reports a “Commodities” index. In Figure 6, I plot observed goods inflation

(y-axis) against model-predicted inflation driven purely by transport costs (x-axis). By demeaning by year-quarter, I difference out nationwide macro shocks and focus on cross-sectional gaps across cities within a given year.



**Figure 6:** Observed goods inflation vs. model-predicted inflation from transport prices alone. Each point is a city-year. Both series are demeaned by year so that the scatter captures cross-city differences in inflation within each year. The fitted line reports the slope and the year-clustered standard error.

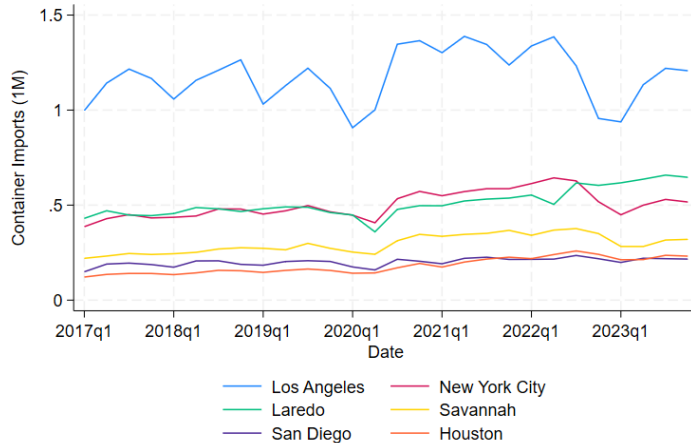
Figure 6 shows a positive relationship: cities that experienced larger increases in inbound trucking prices also tended to experience higher goods inflation in the same period. The fitted line has a slope of about 6, with a year-clustered standard error of about 1.9 and  $R^2$  of 0.08. One way to interpret this is that the part of goods inflation that my simple model can explain—the part that is mechanically driven by changes in transport prices holding production costs and sourcing patterns fixed—accounts for on the order of 8% of the observed cross-city dispersion in goods inflation.

Two points of interpretation are important. First, this exercise is deliberately partial equilibrium: I hold production costs  $b_j$  and sourcing shares  $s_{jk}$  fixed at their 2017 values and ask what would happen to local price indices if only trucking costs moved. In reality, many other forces were driving inflation during 2020–2022. Second, I am not claiming that trucking costs explain the nationwide rise in goods prices after 2020. Instead, I am showing that the *geography and timing* of goods inflation across U.S. cities is consistent with transport price shocks passing through into local consumer prices.

#### **Fact 4: Import Surges Reshape Local Trucking Prices and Flows**

The previous facts focused on cross-sectional structure and spatial reallocation. I now show that large, plausibly external shocks to freight demand at U.S. ports are followed by sharp, local changes in trucking prices and quantities.

Figure 7 plots containerized import volumes for six major U.S. seaports. Following the onset of Covid-19 and associated social-distancing restrictions, U.S. consumers shifted spending toward goods and away from in-person services. In the second half of 2020, container imports into these ports rose and remained elevated through mid-2022.



**Figure 7:** Loaded container imports at major U.S. container ports, 2017–2023.

To test whether these surges in inbound freight demand affected local trucking markets, I estimate reduced-form regressions relating changes in import volumes to changes in trucking prices and market shares on nearby lanes.

Let  $r_{jkt}$  denote the average all-in price per loaded trip from origin  $j$  to destination  $k$  in year-quarter  $t$ . I measure  $\Delta r_{jkt}$  as the quarter-to-quarter change in that price. Let  $\Delta \text{Imp}_{jt}$  be the quarter-to-quarter change in loaded import volume assigned to city  $j$ 's port (and analogously for destination  $k$ ). If a lane does not originate from or terminate at a port city, then its corresponding  $\Delta \text{Imp}$  is zero. I estimate

$$\Delta r_{jkt} = \beta_1 \Delta \text{Imp}_{jt} + \beta_2 \Delta \text{Imp}_{kt} + \eta_t + \epsilon_{jkt}, \quad (2)$$

where  $\eta_t$  are year-quarter fixed effects that absorb aggregate shocks to trucking prices and to national import volumes. Intuitively,  $\beta_1$  captures how outbound trucking prices from a port respond when that port experiences an import surge, while  $\beta_2$  captures how inbound prices into that same port respond.

I then estimate two extensions. First, I add origin-by-quarter and destination-by-quarter fixed effects to flexibly control for seasonality. Second, I include lagged changes in imports. I run the same set of specifications with  $\Delta \log(\text{market share}_{jkt})$  as the dependent variable, where market share is the share of all observed truckload movements in quarter  $t$  accounted for by lane  $(j, k)$ .

Table 1 reports the results. The first three columns use  $\Delta r_{jkt}$  as the dependent variable. The coefficients on  $\Delta \text{Imp}_{jt}$  are large and positive: a one-million-container increase in imports assigned to an origin city is associated with an increase in that city’s outbound trucking prices on the order of \$700 per load. By contrast, the coefficients on  $\Delta \text{Imp}_{kt}$  are negative: increased imports at a destination city are associated with *lower* prices to haul freight into that city, on the order of \$300 per load.

The last three columns repeat the exercise using changes in log market share (lane-level volume share). Here, a one-million-container increase in imports is associated with an increase in loads *leaving* the port of roughly 14% and an increase in loads *arriving* to the port of roughly 9%.

**Table 1:** Effects of Container Imports on Transport Prices and Market Shares

	Change in Transport Price			Change in Log Market Share		
	(1)	(2)	(3)	(4)	(5)	(6)
Chng Orig Imp	794.13*** (218.98)	561.67** (254.66)	698.59** (271.44)	0.14*** (0.04)	0.15*** (0.04)	0.13*** (0.05)
Chng Dest Imp	-282.23*** (102.51)	-246.40** (105.08)	-352.48*** (115.98)	0.08* (0.04)	0.09** (0.05)	0.10* (0.06)
(Lag 1-Orig)			-273.96 (214.69)			-0.06 (0.04)
(Lag 2-Orig)			120.03 (151.73)			-0.01 (0.05)
(Lag 3-Orig)			206.67 (196.09)			-0.08 (0.05)
(Lag 1-Dest)			31.15 (108.91)			0.01 (0.05)
(Lag 2-Dest)			-170.49** (79.27)			0.01 (0.06)
(Lag 3-Dest)			-171.86* (102.34)			0.06 (0.06)
Observations	68,850	68,850	61,200	68,850	68,850	61,200
Num Periods	27	27	24	27	27	24
Num Lanes	2,550	2,550	2,550	2,550	2,550	2,550
Period FEs	Yes	Yes	Yes	Yes	Yes	Yes
Orig-Qtr FEs	No	Yes	Yes	No	Yes	Yes
Dest-Qtr FEs	No	Yes	Yes	No	Yes	Yes

*Notes:* The dependent variable in columns (1)–(3) is the quarter-to-quarter change in average all-in trucking price (dollars per load) on lane  $(j, k)$ . The dependent variable in columns (4)–(6) is the quarter-to-quarter change in the log of that lane’s share of total observed truckloads. “Chng Orig Imp” is the quarter-to-quarter change in loaded import volume at the lane’s origin market, in millions of containers; “Chng Dest Imp” is defined analogously for the destination market. If a market is not assigned a port, its change in imports is coded as zero. All specifications include quarter fixed effects  $\eta_t$ ; columns (2), (3), (5), and (6) also include origin-by-quarter and destination-by-quarter fixed effects. Standard errors (in parentheses) are clustered by origin-quarter and destination-quarter. \* $p < 0.10$ , \*\* $p < 0.05$ , \*\*\* $p < 0.01$ .

The pattern of coefficients suggests a forward-looking and mobile supply side. When a port experiences an import surge, outbound trucking from that port becomes more expensive (capacity is scarce and shippers there must pay more), while inbound trucking to that port becomes cheaper (carriers are willing to accept lower prices to get into a hot market). At the same time, the share of total truckload movements

both *leaving* and *arriving at* that port increases, consistent with carriers actively reallocating toward that location.

Importantly, I treat these results as descriptive and not as structural estimates of driver behavior. In particular, the regression in (2) does not correspond to a single-equation representation of the dynamic supply model in Section 4, and the coefficients on  $\Delta\text{Imp}_{jt}$  and  $\Delta\text{Imp}_{kt}$  cannot be directly mapped into the model’s parameters (for example, they cannot simply be scaled to recover the elasticity of driver reallocation). In particular, these regressions fail to control for how changes in transport prices are correlated with changes in the option value of being in the origin or destination. Instead, I interpret these reduced-form responses as evidence that (i) port-level demand shocks visibly move local trucking prices and traffic patterns, and (ii) carriers respond in a way that is consistent with forward-looking repositioning of capacity.

## 4 Supply of Transportation

Guided by the stylized facts in Section 3, I develop a model of transport supply in which truck drivers are forward-looking and can reposition across cities even without carrying freight (“deadheading”). The goal of this section is to map observed transport prices into implied supply behavior and, ultimately, to recover a key supply parameter that governs how sensitively drivers respond to incentives.

The structure of the section is as follows. First, I model the behavior of an infinitely lived driver who chooses, in each period, which lane to serve next, analogous to the labor migration model developed by [Artuç et al. \(2010\)](#) and used by [Caliendo et al. \(2019\)](#). The driver takes current transport prices and costs as given, and internalizes both the immediate profit from hauling a load and the continuation value of being in the next city. Deadheading is explicitly allowed: a driver can deliver in city  $i$ , drive empty to some pickup city  $j$ , and then haul a load to destination  $k$ . The cost of deadheading is assumed to be linear in distance, with per-mile cost  $d$ . I treat  $d$  as a calibrated parameter based on industry evidence.

Second, to keep the problem tractable and estimable, drivers are homogeneous and have no persistent “home” location or preference for returning to a particular city. Instead, all drivers solve the same dynamic problem and ultimately induce a stationary supply of trucking capacity across origin–destination pairs. The simplification here is intentional: it allows me to write supply as the fixed point of a Markov decision process and to estimate a single key parameter governing driver responsiveness, which I denote  $\alpha$  below.

Third, I assume that each period the driver receives i.i.d. extreme-value preference shocks over feasible lanes. This implies that (i) choice probabilities take a logit form, and (ii) each city’s expected



value function satisfies a “log-sum” expression familiar from dynamic discrete choice. Finally, given transport prices and costs, the spatial distribution of drivers in steady state can be recovered from the Perron–Frobenius eigenvector of the induced transition matrix. This gives me an internally consistent mapping from prices and costs to flows, which I will bring to the data in Section 5.

## 4.1 The Driver’s Problem

Consider a single driver. Time is discrete and indexed by  $t = 0, 1, 2, \dots$ . At the start of period  $t$ , the driver is physically located in some city  $i$ . The driver must decide which lane to serve next.

A “lane” is defined by an ordered pair  $(j, k)$ : pick up a load in origin  $j$  and deliver it to destination  $k$ , with  $j \neq k$  (I ignore within-city transport). Importantly, the driver’s current location  $i$  does not need to equal the pickup city  $j$ . The driver may first travel empty from  $i$  to  $j$ , then haul a loaded trip from  $j$  to  $k$ .

Let  $r_{jk}$  denote the all-in transport price (revenue per loaded trip) for hauling a load from  $j$  to  $k$ . Let  $\xi_{jk}$  denote the operating cost of actually performing that loaded move from  $j$  to  $k$  (fuel, driver’s time, wear, etc.). If the driver begins the period in  $i$ , chooses to pick up in  $j$ , and then delivers to  $k$ , the total cost incurred is

$$d \cdot \text{dist}_{ij} + \xi_{jk},$$

where  $\text{dist}_{ij}$  is the distance in miles between  $i$  and  $j$ , and  $d$  is the per-mile cost of deadheading. The term  $d \cdot \text{dist}_{ij}$  captures the resource and opportunity costs of driving empty from  $i$  to  $j$ . In estimation,  $d$  is treated as calibrated, while  $\xi_{jk}$  will be absorbed as a (potentially city-pair-specific) cost shifter. I will collect prices  $r_{jk}$  and costs  $\xi_{jk}$  in vectors  $r$  and  $\xi$ .

After completing the trip from  $j$  to  $k$ , the driver ends the period in location  $k$ . The continuation value of ending the period in  $k$  depends on the future opportunities available from  $k$ . To capture this, I define  $V_{kt}$  as the driver’s ex ante expected value (before idiosyncratic shocks are realized) of being located in city  $k$  at the start of period  $t$ . Because different lanes take different amounts of time, a trip that requires more travel time is discounted more heavily. Let  $\beta_{ijk}$  denote the effective discount factor associated with completing the move  $i \rightarrow j \rightarrow k$  and being in  $k$  when it is time to make the next decision. For example, if the per-day discount factor is  $\beta^{\text{day}}$  (which I calibrate to  $= 0.9997$ , corresponding to 10% annual discounting), and it takes 0.5 days to drive empty from  $i$  to  $j$  and 2 full days to haul a loaded trip from  $j$  to  $k$ , then  $\beta_{ijk} = (\beta^{\text{day}})^{2.5}$ .

Each period, after seeing prices and costs, the driver also receives idiosyncratic preference shocks  $\varepsilon_{jk,t}$

associated with choosing lane  $(j, k)$ . These shocks are i.i.d. across lanes and periods and are assumed to follow the Type I Extreme Value (Gumbel) distribution. This assumption will imply a logit form for choice probabilities and will allow me to derive a contraction mapping for the value function.

Given these ingredients, the driver’s problem can be written recursively as

$$U_{it}(\varepsilon) = \max_{j \neq k} [r_{jk} - d \cdot \text{dist}_{ij} - \xi_{jk} + \beta_{ijk} V_{k,t+1} + \varepsilon_{jk,t}], \quad (3)$$

where  $U_{it}(\varepsilon)$  is the realized value of being in city  $i$  at time  $t$  given the current shock vector  $\varepsilon_t = \{\varepsilon_{jk,t}\}_{j \neq k}$ , and  $V_{k,t+1}$  is the expected (shock-averaged) value of starting the next decision problem in city  $k$  at time  $t+1$ :

$$V_{i,t+1} = \mathbb{E}_{\varepsilon} [U_{i,t+1}(\varepsilon)]. \quad (4)$$

A few points are worth emphasizing:

1. **Forward-looking behavior.** The term  $\beta_{ijk} V_{k,t+1}$  means that the driver cares not only about the current trip’s profit,  $r_{jk} - d \cdot \text{dist}_{ij} - \xi_{jk}$ , but also about how attractive it will be to start the next period in city  $k$ . This is the mechanism behind the patterns in Fact 1 and Fact 4: drivers are willing to accept a cheaper inbound load into a city if that city will offer high-paying outbound loads next.

2. **Deadheading option.** Because  $i$  and  $j$  need not match, the driver can choose to reposition empty if the continuation value in  $k$  justifies it. This is where the deadhead cost parameter  $d$  matters. Lower  $d$  makes it easier to chase future opportunities and tends to smooth prices spatially.

3. **Homogeneous, unrooted drivers.** I assume that drivers do not have a persistent home preference, family constraint, or maximum days-out constraint. Every driver plays the same dynamic program, and the only state variable is current city  $i$ . This assumption is nonstandard relative to some previous studies which emphasize drivers’ preference for being close to home (e.g., [Allen et al. \(2024\)](#) and [Yang \(2024\)](#)), but it simplifies the estimation to just one parameter, the driver substitution parameter  $\alpha$ .

4. **Timing and within-city moves.** I restrict attention to  $j \neq k$  and therefore exclude purely within-city movements of freight. Empirically, my data focus on intercity (long-haul) truckload movements across 51 metro markets, not local pickup and delivery within a single metro. The state space for  $i$  is therefore the set of these 51 cities.

In the next subsection, I use the Gumbel assumption on  $\varepsilon_{jk,t}$  to derive two key objects. First, the expected value  $V_i$  of being in city  $i$ , which can be expressed implicitly using a contraction mapping. Second, the probability that a driver currently in  $i$  chooses to serve lane  $(j, k)$ . These choice probabilities define a system of flows across cities. By standard Perron–Frobenius arguments, the resulting system

has a unique stationary distribution of drivers across cities given  $(r, \xi, d)$  and the driver's responsiveness parameter  $\alpha$ , which I will estimate.

## 4.2 Driver Choices in a Steady State

I now characterize steady-state driver behavior. I drop time subscripts and assume that the environment is stationary: prices  $r_{jk}$ , costs  $\xi_{jk}$ , and travel times (which determine  $\beta_{ijk}$ ) do not change over time. Drivers face the same decision problem in every period. In reality, drivers execute loads within a few days; by assuming a stationary environment, we are using the fact that drivers and loads move quickly and do not have to forecast prices far into the future (though this would be a poor assumption if we were modelling the decision to enter the trucking industry).

I assume that in each period the driver draws an idiosyncratic preference shock  $\varepsilon_{jk}$  for each feasible lane  $(j, k)$ . These shocks are i.i.d. across lanes and drivers and are Type I Extreme Value (Gumbel), with scale parameter  $1/\alpha$ . The parameter  $\alpha > 0$  governs how sensitive drivers are to payoff differences across lanes: when  $\alpha$  is large, even small differences in profits generate large differences in choice probabilities; when  $\alpha$  is small, drivers are less responsive to changes in transport prices or costs.

Under these assumptions, the driver's expected value of being in city  $i$ , denoted  $V_i$ , satisfies the familiar log-sum formula from dynamic discrete choice:

$$V_i = \frac{1}{\alpha} \log \sum_{j \neq k} \exp \{ \alpha [r_{jk} - d \cdot \text{dist}_{ij} - \xi_{jk} + \beta_{ijk} V_k] \} + \frac{\gamma}{\alpha}, \quad (5)$$

where  $\gamma \approx 0.577$  is the Euler–Mascheroni constant. Economically,  $V_i$  is the expected (shock-averaged) lifetime value to a driver who starts the decision problem in city  $i$ .

Note that equation 5 is a system of  $N$  equations with  $N$  unknowns ( $V_i$ ), and because  $\beta_{ijk} \in (0, 1)$ , it represents a contraction. As a result, there exists a unique vector  $V = (V_1, \dots, V_N)$  that solves (5), given transport prices  $r$ , transport costs  $\xi$ , the deadhead cost parameter  $d$ , and the responsiveness parameter  $\alpha$ . Numerically, we can solve for  $V$  by iterating on (5) until it converges, so we have  $V$  as a function of transport prices  $r$  and costs  $\xi$ , and model parameters:  $V_i(r, \xi, \alpha, d)$ .

Given the value function  $V$ , I can now characterize drivers' route choices. Let  $\lambda_{ijk}$  denote the probability that a driver who is currently located in city  $i$  chooses to pick up in  $j$  and deliver to  $k$ . The logit

structure of the problem implies

$$\lambda_{ijk} = \frac{\exp \{ \alpha [r_{jk} - d \cdot \text{dist}_{ij} - \xi_{jk} + \beta_{ijk} V_k] \}}{\sum_{\ell \neq m} \exp \{ \alpha [r_{\ell m} - d \cdot \text{dist}_{i\ell} - \xi_{\ell m} + \beta_{i\ell m} V_m] \}} \quad (6)$$

for all  $i, j$ , and  $k$  with  $j \neq k$ . Since  $\lambda_{ijk}$  only depends on transport prices  $r$ , costs  $c$ , parameters  $\alpha$  and  $d$ , and driver welfare  $V_i(r, \xi, \alpha, d)$ , we have that choice probabilities are a function of those same objects:  $\lambda_{ijk}(r, \xi, \alpha, d)$ .

Using (5), this can be rewritten in a way that highlights how the choice for  $(j, k)$  compares to the overall attractiveness of being in  $i$ :

$$\lambda_{ijk} = \exp \{ \alpha [r_{jk} - d \cdot \text{dist}_{ij} - \xi_{jk} + \beta_{ijk} V_k - V_i] + \gamma \}. \quad (7)$$

In words, a lane  $(j, k)$  is chosen with higher probability when: (i) it pays a high price  $r_{jk}$ , (ii) it requires little costly deadheading from  $i$  to  $j$  (small  $\text{dist}_{ij}$  and/or low  $d$ ), (iii) operating costs  $\xi_{jk}$  are low, (iv) it delivers the driver to a city  $k$  with a high continuation value  $V_k$ , (v) and the driver's current location  $i$  has relatively poor outside options (low  $V_i$ ).

Equations (5) and (7) are the key building blocks for the supply side of the model. The vector  $V$  summarizes the dynamic attractiveness of each city as a place to end up, and  $\lambda_{ijk}$  gives the probability flow of drivers from  $i$  into  $k$  via lane  $(j, k)$ . In the next subsection, I use  $\lambda_{ijk}$  to construct the implied Markov transition matrix over cities, and I show how the resulting stationary distribution of drivers across cities can be recovered via a Perron–Frobenius argument.

### 4.3 Distribution of Drivers in the Steady State

The previous subsection characterized drivers' optimal route choices via the choice probabilities  $\lambda_{ijk}$ . For a driver who *starts the period* in city  $i$ ,  $\lambda_{ijk}$  is the probability that she (i) repositions, if necessary, to pick up in  $j$ , (ii) delivers a load to  $k$ , and (iii) ends the period in city  $k$ .

To describe how drivers are distributed across cities in the long run, I aggregate these route-level probabilities into a Markov transition matrix over cities. Define

$$\Lambda_{ik}(r, \xi, \alpha, d) \equiv \sum_j \lambda_{ijk}(r, \xi, \alpha, d),$$

the probability that a driver who begins the period in city  $i$  ends the period in city  $k$ , regardless of which pickup city  $j$  she used along the way. Intuitively,  $\Lambda_{ik}$  tells us how drivers flow between locations  $i$  and  $k$

from one decision to the next. Collecting these elements produces an  $N \times N$  transition matrix

$$\Lambda(r, \xi, \alpha, d) = \begin{bmatrix} \Lambda_{11} & \cdots & \Lambda_{1N} \\ \vdots & & \vdots \\ \Lambda_{N1} & \cdots & \Lambda_{NN} \end{bmatrix}.$$

By construction, each row of  $\Lambda$  sums to one and every element is strictly positive: from any current city  $i$ , the driver always eventually ends the period in some destination  $k$ , and every destination is reachable with positive probability.

Let  $\pi_i$  denote the steady-state mass of drivers who *begin* a period in city  $i$ , and let  $\boldsymbol{\pi}$  be the  $1 \times N$  row vector collecting these masses. In a stationary equilibrium, the distribution of drivers across cities must be constant over time. That is, the mass of drivers who start in each city this period must equal the mass implied by last period's distribution after they make their choices and move. This stationarity condition is

$$\boldsymbol{\pi} \Lambda(r, \xi, \alpha, d) = \boldsymbol{\pi}. \quad (8)$$

Equation (8) says that  $\boldsymbol{\pi}$  is a (left) eigenvector of  $\Lambda$  with eigenvalue 1. Because  $\Lambda$  is a strictly positive, row-stochastic matrix (every element is  $> 0$ , each row sums to 1), the Perron–Frobenius Theorem implies that there exists a unique eigenvector  $\boldsymbol{\pi}(r, \xi, \alpha, d)$  associated with eigenvalue 1, up to scale. Economically, this means there is a unique steady-state cross-sectional distribution of drivers across cities for any given  $(r, \xi, \alpha, d)$ .

I normalize  $\boldsymbol{\pi}$  so that its elements sum to 1, having the interpretation of market shares. Once  $\boldsymbol{\pi}$  is determined, the model delivers steady-state lane-level supply.

In particular, define  $T_{jk}(r, \xi, \alpha, d)$  as the steady-state flow of drivers (in market shares) that pick up in  $j$  and deliver to  $k$ . This is obtained by summing over all possible starting locations  $i$ :

$$T_{jk}(r, \xi, \alpha, d) = \sum_i \pi_i(r, \xi, \alpha, d) \lambda_{ijk}(r, \xi, \alpha, d). \quad (9)$$

Intuitively,  $\pi_i$  is “how many drivers start in  $i$ ,” and  $\lambda_{ijk}$  is “what fraction of them choose to run  $i \rightarrow j \rightarrow k$ .” Adding over all  $i$  gives the total mass of drivers serving lane  $(j, k)$  in steady state.

Let  $\mathbf{T}(r, \xi, \alpha, d)$  denote the vector collecting all  $T_{jk}(r, \xi, \alpha, d)$  across lanes  $(j, k)$ . The object  $\mathbf{T}$  is the model's implied steady-state supply of loaded truck trips on each lane, given: observed transport prices  $r_{jk}$ , unobserved operating costs  $\xi_{jk}$ , the deadheading cost parameter  $d$ , and the responsiveness parameter

$\alpha$ .

In Section 5, I will use this mapping from  $(r, \xi, \alpha, d)$  to  $\mathbf{T}$  to recover unobserved costs and to estimate the key behavioral parameter  $\alpha$ .

#### 4.4 First-Order Approximation of Driver Welfare

The value function  $V_i(r, \xi, \alpha, d)$  is central to the model: it summarizes how attractive it is for a driver to be located in city  $i$ . However, equation (5) characterizes  $V$  only implicitly, through a system of fixed-point equations. In this subsection, I use a first-order approximation to provide economic intuition for what  $V$  is capturing.

Suppose transport prices change by a small amount  $\Delta r$  and/or operating costs change by a small amount  $\Delta \xi$ . Consider first only the *direct*, one-period effect on a driver who currently starts in city  $i$ . Let

$$\Delta \psi_i := \sum_{j,k} \lambda_{ijk} \Delta r_{jk} - \sum_{j,k} \lambda_{ijk} \Delta \xi_{jk}. \quad (10)$$

This object  $\Delta \psi_i$  is the instantaneous change in expected current-period payoff for a driver in city  $i$ , holding fixed all continuation values. The logic mirrors Shephard's Lemma intuition: if the price on lane  $(j, k)$  goes up by \$1, then a driver in city  $i$  benefits in proportion to the probability of choosing that lane,  $\lambda_{ijk}$ . Likewise, if the operating cost on lane  $(j, k)$  rises, expected payoff falls in proportion to that same probability.

But drivers are forward-looking and infinitely lived, so  $\Delta \psi_i$  is not the whole story. A change in prices or costs on lane  $(j, k)$  also matters because it changes the attractiveness of ending up in  $k$ , which changes where drivers choose to position themselves today in order to exploit those future opportunities. In other words, a shock on lane  $(j, k)$  in period 0 affects not just the drivers who take that lane immediately, but also the drivers who plan to get to  $j$  (or near  $j$ ) in order to take that lane in future periods.

We can make this forward-looking component explicit. Totally differentiating the fixed-point system in (5) and applying the Implicit Function Theorem yields

$$\Delta V = (I - \tilde{\Lambda})^{-1} \Delta \psi, \quad (11)$$

where  $\Delta V$  is the vector collecting  $\Delta V_i$  for all cities  $i$ ,  $\Delta \psi$  is the vector collecting  $\Delta \psi_i$  from (10),  $I$  is the

$N \times N$  identity matrix, and  $\tilde{\Lambda}$  is an  $N \times N$  matrix with elements

$$\tilde{\Lambda}_{ik} := \sum_j \beta_{ijk} \lambda_{ijk}.$$

The element  $\tilde{\Lambda}_{ik}$  has a natural interpretation: it is the discounted probability that a driver who *starts* in city  $i$  will *end* the current period in city  $k$ . It is like the transition matrix  $\Lambda$  from the previous subsection, but weighted by the appropriate discount factors  $\beta_{ijk}$  to reflect travel time. If  $\tilde{\Lambda}_{ik}$  is large, then drivers in  $i$  frequently and quickly move into  $k$ , so the continuation value in  $k$  matters a lot for  $V_i$ .

Equation (11) says that the total effect of a small change in prices or costs on  $V$  can be written as a discounted ripple process. Using the Neumann series for the matrix inverse,

$$(I - \tilde{\Lambda})^{-1} = I + \tilde{\Lambda} + \tilde{\Lambda}^2 + \tilde{\Lambda}^3 + \dots,$$

we can rewrite (11) as

$$\Delta V = \Delta\psi + \tilde{\Lambda}\Delta\psi + \tilde{\Lambda}^2\Delta\psi + \tilde{\Lambda}^3\Delta\psi + \dots. \quad (12)$$

This decomposition makes the economics transparent. The first term,  $\Delta\psi$ , is the direct effect: how price/cost changes affect a driver's expected payoff in each city, based on the lanes they are most likely to choose in that period. The second term,  $\tilde{\Lambda}\Delta\psi$ , captures one-step spillovers: how those shocks matter for the cities where drivers are likely to choose affected lanes in the following period. The third term,  $\tilde{\Lambda}^2\Delta\psi$ , captures two-step spillovers, and so on. In other words, a lane-specific shock in one part of the network propagates through the entire spatial system of cities, attenuating with probabilistic distance and with discounting via  $\beta_{ijk}$ .

This characterization highlights two features of the model. First,  $V_i$  is not just determined by the profitability of lanes leaving  $i$ ; it also reflects the option value of reaching profitable locations in one or two moves. Second, because drivers can deadhead,  $\tilde{\Lambda}$  is dense: shocks in Los Angeles can quickly affect the value of being in Phoenix, Dallas, or even Chicago. This is the same forward-looking repositioning behavior that underlies the inverse origin–destination price relationship in Fact 1 and the asymmetric inbound/outbound price responses to import shocks in Fact 4.

## 5 Estimation

This section describes how I take the supply model in Section 4 to the data. The estimation proceeds in three steps.

**Step 1 (Calibrate deadheading cost  $d$ ).** I discipline the cost of driving empty using industry evidence on per-mile operating costs. The parameter  $d$  governs how costly it is for a driver to reposition without a load. I treat  $d$  as calibrated rather than estimated.

**Step 2 (Invert the model to recover costs).** For any candidate value of the driver responsiveness parameter  $\alpha$  and an assumed value of  $d$ , the model maps costs  $\xi$  and observed prices  $r$  into steady-state lane-level quantities  $T(r, \xi, \alpha, d)$  (Section 4). Empirically, I observe lane-level quantities and prices. I therefore invert the model quarter-by-quarter to recover the cost matrix  $\xi_t(\alpha)$  that rationalizes observed quantities given observed prices, deadhead cost  $d$ , and a candidate  $\alpha$ .

**Step 3 (Estimate  $\alpha$ ).** I use variation in containers arriving to U.S. ports as demand shocks to form moment conditions. Intuitively, if I guess an  $\alpha$  that is “too high,” the model expects a supply response greater than the one observed, given the price increase; to rationalize the observed supply response, the model infers that costs have risen. And if I guess  $\alpha$  that is “too low,” the opposite happens. I choose  $\alpha$  to make these import shocks orthogonal to the recovered cost changes. I implement this using GMM over a grid of  $\alpha$  values.

At the end of this section, I report  $\hat{\alpha}$ , interpret its magnitude, and discuss precision.

### 5.1 Calibrating Deadhead Cost

The parameter  $d$  is the per-mile cost of driving empty. In the model, a driver who ends a period in city  $i$ , then deadheads to  $j$  and hauls a loaded trip from  $j$  to  $k$ , incurs a total cost of  $d \cdot \text{dist}_{ij} + \xi_{jk}$ , where  $\xi_{jk}$  is the operating cost of the loaded trip from  $j$  to  $k$  (see equation (5)). Thus  $d$  should reflect variable, per-mile operating costs of moving a truck: fuel, driver time, and wear/maintenance. It should *not* include fixed or quasi-fixed costs such as insurance premia, equipment leases, or licensing fees.

Industry studies place variable costs for long-haul trucking at roughly \$1.20 per mile in 2019, after excluding fixed costs such as truck and trailer lease payments (Cannon, 2024). Per mile costs are about \$0.40 for fuel, \$0.55 for driver wages, and the remainder due to maintenance costs. There are likely some fuel savings from driving empty (perhaps on the order of 20% per some trucker discussion boards), but for simplicity I calibrate  $d$  to match the \$1.2 benchmark (expressed in the same dollar units as my observed



prices  $r_{jk}$ ). This pins down how costly it is for drivers to reposition empty across cities. All remaining heterogeneity in effective costs of serving lane  $(j, k)$  is then absorbed into  $\xi_{jk}$ , which I recover in the next subsection.

## 5.2 Model Inversion: Recovering Cost Shifters

For a given year-quarter  $t$ , I observe (i) the average all-in trucking price per loaded trip on each lane  $(j, k)$ , denoted  $r_{jkt}$ , and (ii) the number of loaded trips on that lane in that quarter, which I convert into a lane-level share of total observed trips in that quarter, denoted  $T_{jkt}^{\text{data}}$ . These shares are the empirical analogue of the model’s steady-state lane-level supply  $T_{jk}(r, \xi, \alpha, d)$  defined in equation (9).

Given  $(r_t, \alpha, d)$ , the model maps any candidate cost matrix  $\xi_t = \{\xi_{jk,t}\}$  into predicted steady-state lane shares

$$T_{jk}(r_t, \xi_t, \alpha, d) \quad \text{for all lanes } (j, k).$$

Intuitively, lower  $\xi_{jk,t}$  makes lane  $(j, k)$  more attractive to drivers (higher net payoff), which increases the probability that drivers choose that lane in equilibrium and therefore raises its predicted share.

Empirically, I treat  $\xi_{jk,t}$  as a set of structural residuals: the unobserved effective operating cost of hauling from  $j$  to  $k$  in quarter  $t$ . To recover  $\xi_t$ , I invert the model by choosing  $\xi_t$  so that the model’s predicted supply matches the observed supply in that quarter, given prices  $r_t$  and parameters  $(\alpha, d)$ .

Because there is no closed-form solution that directly expresses  $\xi_t$  as a function of  $(r_t, \alpha, d, T_t^{\text{data}})$ , I solve for  $\xi_t$  numerically. Specifically, I choose  $\xi_t$  to minimize a loss function of the form

$$\mathcal{L}_t(\xi_t; \alpha, d) = \sum_{j,k} [T_{jk}(r_t, \xi_t, \alpha, d) - T_{jkt}^{\text{data}}]^2,$$

i.e., the sum of squared differences between predicted and observed lane shares. This is a high-dimensional nonlinear problem: each  $\xi_{jk,t}$  enters expected payoffs, which affect drivers’ value functions  $V_i$ , their route choice probabilities  $\lambda_{ijk}$ , the implied transition matrix  $\Lambda$ , the stationary distribution  $\pi$ , and ultimately  $T_{jk}$ . I solve this minimization using gradient-based numerical optimization (L-BFGS) implemented in JAX, a high-performance automatic differentiation and GPU/accelerator computing library (Bradbury et al., 2018), and the associated optimization routines in Rader et al. (2024).

I repeat this inversion for each quarter  $t$  from 2017Q1 through 2023Q4 and for each candidate value of  $\alpha$  on a grid  $(1.0, 1.5, \dots, 10.0)$ , holding  $d$  fixed at its calibrated value of  $d = 1.2$  from Section 5.1. The result is a panel  $\{\hat{\xi}_{jk,t}(\alpha)\}$ : the recovered lane-specific cost shifters consistent with observed prices and

quantities, conditional on  $\alpha$ .

### 5.3 Identifying the Driver Responsiveness Parameter

The parameter  $\alpha$  controls how sharply drivers reallocate capacity in response to profit differences across lanes. Large  $\alpha$  means drivers are very selective: they aggressively chase high-paying opportunities and quickly reposition toward “hot” markets. And small  $\alpha$  means drivers are more diffuse: they are less responsive to payoff differences.

To estimate  $\alpha$ , I exploit variation in import surges at U.S. ports (Fact 4). These import shocks act like plausibly exogenous shifts in local trucking demand at specific origins (the port city from which goods exit the port by truck) and at specific destinations (the port city viewed as a place drivers want to be next). I use these shocks as instruments to discipline how much of a quantity increase my model attributes to (i) higher willingness of drivers to serve a lane versus (ii) a change in the unobserved cost  $\xi_{jk,t}$  recovered in Section 5.2.

Here is the key idea. Fix a guess for  $\alpha$ . For each quarter  $t$ , I invert the model and obtain  $\hat{\xi}_{jk,t}(\alpha)$ , and take first differences. If my guess of  $\alpha$  is too high, the model thinks drivers are extremely sensitive to payoffs and will overpredict how much they reallocate toward a port after an import surge. To reconcile the observed data (quantity increase lower than expected given  $\alpha$  and the price increase), the inversion will be forced to assign higher recovered costs  $\hat{\xi}_{jk,t}$  to those same lanes. As a result, changes in imports at the origin (the port) will be positively correlated with changes in recovered costs on outbound lanes if  $\alpha$  is too high. And by similar reasoning, we can expect changes in imports at the origin to be negatively correlated with changes in recovered costs if my guess of  $\alpha$  is too low.

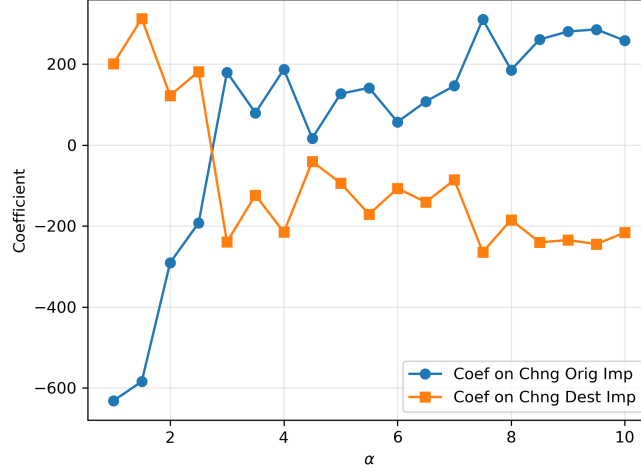
A similar logic applies on the inbound side, but with opposite signs on the correlations. When a port experiences a surge in imports, we observe (i) falling prices into the port and (ii) rising inbound volume (Fact 4 / Table 1). In the model, this pattern means that drivers view the port as a high-continuation-value location  $V_k$ . But how strongly they care about  $V_k$  depends on  $\alpha$ . When  $\alpha$  is very small, the continuation value  $V_k$  has a higher variance across locations and plays a disproportionately large role relative to one-period revenue  $r_{jk}$ , so the model tends to overpredict how attractive it is to drive into the port after an import shock.

We can summarize this logic statistically. For each candidate  $\alpha$ , I run regressions of the form

$$\Delta \hat{\xi}_{jkt}(\alpha) = \beta_1(\alpha) \Delta \text{Imp}_{jt} + \beta_2(\alpha) \Delta \text{Imp}_{kt} + \eta_t + \epsilon_{jkt}, \quad (13)$$

where  $\Delta\hat{\xi}_{jkt}(\alpha)$  is the quarter-to-quarter change in the recovered cost for lane  $(j, k)$ ,  $\Delta\text{Imp}_{jt}$  and  $\Delta\text{Imp}_{kt}$  are quarter-to-quarter changes in loaded import volume assigned to the origin  $j$  and destination  $k$ , and  $\eta_t$  are year-quarter fixed effects. This regression uses the same functional form as equation (2) from Section 3, but now the dependent variable is *recovered cost* instead of price.

Figure 8 plots the estimates  $\beta_1(\alpha)$  and  $\beta_2(\alpha)$  across values of  $\alpha$ . Consistent with the intuition above,  $\beta_1(\alpha)$  (the origin-side coefficient) tends to increase with  $\alpha$ , while  $\beta_2(\alpha)$  (the destination-side coefficient) tends to decrease with  $\alpha$ . The value of  $\alpha$  that makes both  $\beta_1(\alpha)$  and  $\beta_2(\alpha)$  close to zero is the value at which import shocks are orthogonal to cost changes. Visually, this occurs for  $\alpha$  in the range of roughly 2 to 7.



**Figure 8:** Regression coefficients of cost changes on import shocks across candidate values of  $\alpha$ . Each point is an estimate of  $\beta_1(\alpha)$  or  $\beta_2(\alpha)$  from equation (13).

## 5.4 GMM Implementation and Results

The discussion above suggests a set of orthogonality conditions: after controlling flexibly for time effects and seasonal patterns, changes in recovered costs on a lane should not be systematically related to import surges at that lane's origin or destination if  $\alpha$  is correctly chosen.

Formally, the moment conditions are

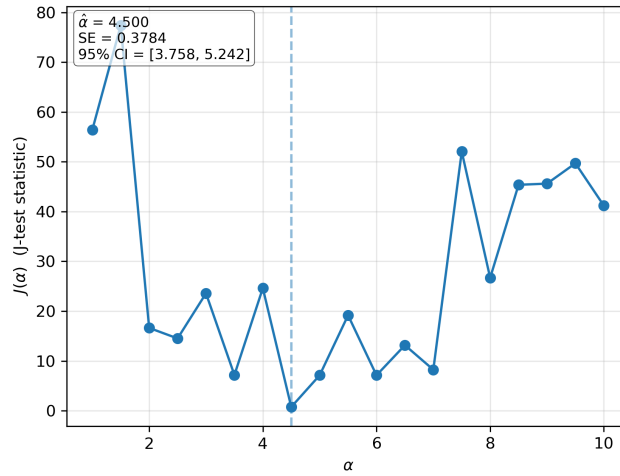
$$\mathbb{E}\left[\Delta\hat{\xi}_{jkt}(\alpha) \cdot \Delta\text{Imp}_{jt} \mid X_{jkt}\right] = 0, \quad \text{and} \quad \mathbb{E}\left[\Delta\hat{\xi}_{jkt}(\alpha) \cdot \Delta\text{Imp}_{kt} \mid X_{jkt}\right] = 0,$$

where  $X_{jkt}$  denotes controls. In practice, I implement this in two steps. First, I residualize both  $\Delta\hat{\xi}_{jkt}(\alpha)$

and  $\Delta\text{Imp}_{jt}, \Delta\text{Imp}_{kt}$  on the same set of controls  $X_{jkt}$  used in Table 1: year-quarter fixed effects; then, in richer specifications, origin-by-quarter and destination-by-quarter fixed effects (to allow for city-specific seasonality); and finally, three lags of  $\Delta\text{Imp}$  at the origin and destination. Second, I compute the sample analogue of the covariance between these residualized series. The result is a two-element sample moment vector  $g(\alpha)$ .

I then compute the standard GMM objective  $Q(\alpha) = g(\alpha)'Wg(\alpha)$ , where  $W$  is the optimal weighting matrix given the covariance of the sample moments. Because I have two moment conditions and one scalar parameter  $\alpha$ , I can also compute the associated  $J$ -statistic to test the overidentifying restrictions.

Figure 9 plots the  $J$ -statistic across values of  $\alpha$  in my grid (1.0, 1.5, ..., 10.0), using the specification with all controls included. The objective is somewhat noisy in  $\alpha$ , but it is broadly bowl-shaped, with low values between roughly 2 and 7. In this specification, the minimum occurs at  $\hat{\alpha} = 4.5$ .



**Figure 9:** GMM  $J$ -statistic across candidate values of  $\alpha$ . Lower values indicate better fit of the orthogonality conditions between recovered cost changes and import shocks.

Table 2 reports the resulting point estimates and standard errors from three specifications. Column (1) uses only year-quarter fixed effects. Column (2) adds origin-by-quarter and destination-by-quarter fixed effects to flexibly absorb local seasonality. Column (3) additionally controls for three lags of import changes. Across specifications, the implied  $\hat{\alpha}$  lies between 3 and 7, consistent with Figures 8 and 9.

How should we interpret  $\hat{\alpha}$ ? In the driver's choice probabilities (equation (7)), the utility of serving lane  $(j, k)$  from starting location  $i$  is proportional to

$$\alpha [r_{jk} - d \cdot \text{dist}_{ij} - \xi_{jk} + \beta_{ijk} V_k].$$

Thus  $\alpha$  scales how strongly drivers react to payoff differences across lanes. A value of  $\hat{\alpha} \approx 4.5$  implies that, holding costs and continuation values fixed, an increase in lane revenue of about \$1,000 raises the model-implied probability that a driver selects that lane by roughly 4–5%.

**Table 2:** GMM estimates of  $\alpha$

	(1)	(2)	(3)
Estimated $\hat{\alpha}$	3.0 (0.106)	6.5 (0.775)	4.5 (0.378)
Observations	46,494	46,494	41,328
Num Periods	27	27	24
Num Lanes	1,722	1,722	1,722
Yr-Qtr FEs	Yes	Yes	Yes
Orig $\times$ Qtr FEs	No	Yes	Yes
Dest $\times$ Qtr FEs	No	Yes	Yes
Lagged $\Delta$ Imp Controls	No	No	Yes
<i>Notes:</i> Standard errors (in parentheses) are based on numerical derivatives of the sample moments with respect to $\alpha$ . All specifications use changes (quarter-to-quarter differences) in recovered costs and import volumes.			

## 6 Simulations

In this section, I use the estimated supply model to run two sets of counterfactuals.

**(1) Local import demand shocks at ports.** I ask: if a major U.S. port experiences a surge in outbound freight demand, how do trucking prices and capacity adjust in that port *and in nearby cities*? This speaks directly to the spatial spillovers in trucking supply and to the “ripple” logic in Section 4.

**(2) Covid-era changes in prices and quantities.** I ask: between 2019 and 2021, how much of the observed change in trucking prices and market shares can be attributed to shifts in freight demand (import-driven) versus shifts in trucking supply (driver costs)? This lets me quantify the relative roles of demand shocks and cost shocks in the pandemic period.

To implement these counterfactuals, I combine the estimated supply system from Section 4 with a demand system derived from a simple partial-equilibrium Armington framework. The demand system maps transport prices into trade flows for shipped goods across cities. I calibrate that system using data expenditure shares between US cities.

## 6.1 Transport Demand

To simulate counterfactual equilibria, I need a model of transport demand. I adopt a standard Armington structure in which each origin  $j$  produces a differentiated good, demand is CES across origins, and trade is perfectly competitive.

Let  $E_k$  denote total expenditures in destination city  $k$  on tradable goods from other cities (recalling that I focus on loads moving between cities). The analysis is partial equilibrium: I treat  $E_k$  as exogenous in each counterfactual. Quantities are measured in truckload-equivalents (roughly 40,000 pounds, consistent with a standard full truckload). Assume that production in each origin  $j$  has constant marginal cost  $b_j$ , and that hauling a truckload from  $j$  to  $k$  adds a transport price  $r_{jk}$ . Then the delivered price of good  $j$  in  $k$  is

$$p_{jk} = b_j + r_{jk}.$$

Under CES preferences with elasticity of substitution  $\sigma$ , demand in  $k$  for the variety produced in  $j$  is

$$Q_{jk} = \frac{a_{jk} p_{jk}^{-\sigma}}{\sum_{\ell} a_{\ell k} p_{\ell k}^{1-\sigma}} E_k, \quad (14)$$

where  $a_{jk}$  is a bilateral demand shifter.

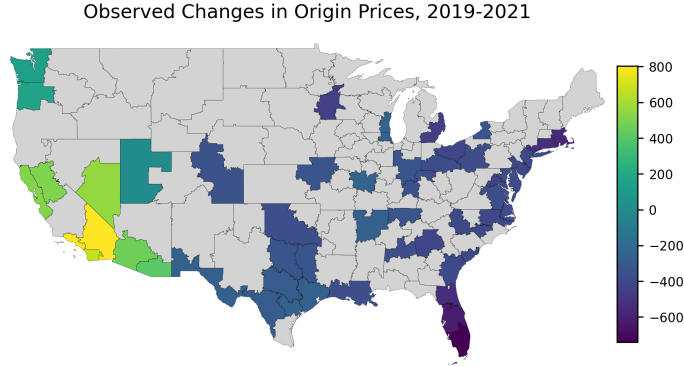
To calibrate the demand system, I proceed as follows. I set  $\sigma = 6$ , consistent with estimates of trade elasticities in the trade literature (Head and Mayer, 2014). From the Freight Analysis Framework (FAF), I observe the average value per truckload shipped from each origin,  $b_j$ , and from the DAT data, I observe transport prices  $r_{jk}$ . Together, these provide the price per truckload of goods moved from  $j$  to  $k$ :  $p_{jk} = b_j + r_{jk}$ . DAT also reports the number of loads moved between cities,  $Q_{jk}$ . With quantities and prices of loads, we have a measure of expenditures for each city,  $E_k = \sum_j Q_{jk} p_{jk}$ , as well as expenditure shares  $Q_{jk} p_{jk} / E_k$ . Finally, demand shifters  $a_{jk}$  are chosen to match expenditure shares, with the normalization that they sum to 1.

In counterfactuals, I will shock either the demand shifters  $a_{jk}$  (to mimic shifts in expenditures toward imported goods) or the supply-side cost terms  $\xi_{jk}$  (to mimic changes in driver costs), and then resolve for equilibrium trucking prices  $r_{jk}$  and quantities  $Q_{jk}$ .

## 6.2 Port Demand Shocks and Spatial Spillovers

I begin by asking: when a port experiences a surge in demand for outbound freight, how far does that shock propagate across the trucking network?

**What the data show.** Figure 10 plots origin fixed effects from a regression of the change in lane-level trucking prices between 2019 and 2021 on origin and destination fixed effects, controlling for distance. Lighter colors correspond to cities that became more expensive to ship *from* over this period. The pattern is stark: Los Angeles saw very large outbound price increases, consistent with the increase in imports documented in Figure 7, and outgoing prices also rose in nearby markets.



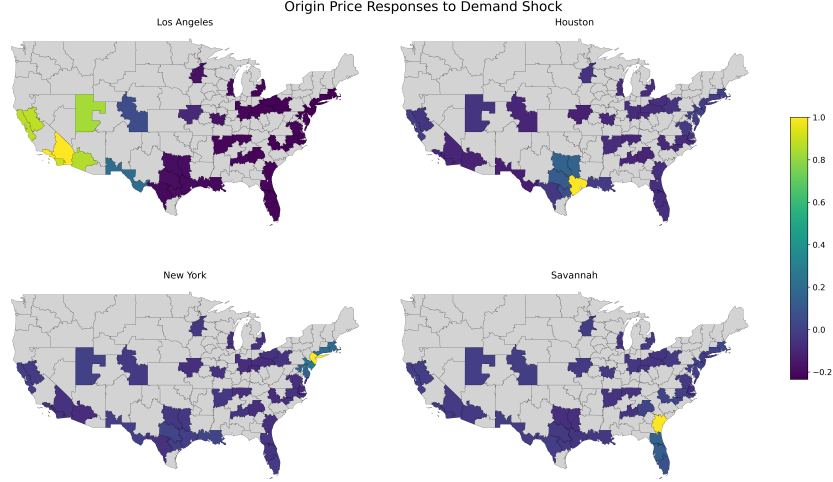
**Figure 10:** Observed change in outbound trucking prices, 2019–2021. Figure shows origin fixed effects from regressions of  $\Delta r_{jk}$  on origin and destination fixed effects and distance. Lighter colors indicate larger price increases to ship *from* that city.

**Counterfactual experiment.** To isolate the role of port demand, I simulate a localized demand shock. For four major U.S. freight gateways (Los Angeles/Long Beach, Houston, Savannah, and New York/New Jersey), I increase the corresponding bilateral demand shifters  $a_{jk}$  by 10% for lanes that originate in that port. Intuitively, this mimics an increase in demand for outbound freight at that port.

I then resolve for the new equilibrium using the 2017 baseline cost structure  $\xi_{jk}$  and the estimated supply parameters  $(\hat{\alpha}, d)$ . With higher  $a_{jk}$  for port  $j$ , destination markets want to buy more truckloads sourced from that port. Transport prices and continuation values  $V_i$  rise until enough drivers reallocate their supply to the port to meet the shift in demand, determining new steady-state trucking prices  $r_{jk}$  and lane-level quantities  $Q_{jk}$ . I recover origin fixed effects for the simulated *change* in outbound prices (controlling for distance and destination fixed effects) and normalize each port’s own shock to have value 1. This lets me compare the pattern of spillovers across ports of different sizes.

The resulting spatial price responses are shown in Figure 11.

**Findings.** A 10% demand shock in Los Angeles generates much larger and more diffuse spillovers than the same-sized shock in Houston, Savannah, or New York. In the Los Angeles case, simulated outbound



**Figure 11:** Simulated spillovers from a 10% outbound demand shock at each of four major ports. Plotted values are normalized so that the originating port’s own outbound price effect equals 1.

prices rise not only in Los Angeles itself but also in nearby markets. In contrast, shocks in the other ports remain more geographically contained.

The model explains this asymmetry through mechanisms already highlighted in the empirical facts: Los Angeles is a net “exporter” of truckloads (many more loads leave than arrive). That means many drivers serving Los Angeles arrive empty from neighboring markets, so driving empty from those markets must be a profitable choice. When prices jump for loads leaving Los Angeles, the profitability of driving empty to Los Angeles increases further. Thus, shippers who need to move goods out of Phoenix, for example, must pay their drivers more or lose access to their carriers. This is exactly the mechanism captured in the first-order approximation in Section 4: price shocks in one market propagate through  $\tilde{\Lambda}$  to nearby markets that feed it capacity. Markets linked tightly to Los Angeles inherit more of the shock than cities farther away.

In short, the model reproduces two empirical features of the Covid freight boom: (i) import surges at large West Coast ports drove significant local price increases, and (ii) those price pressures spilled over into inland markets that serve as feeder capacity, not just the port city itself.

### 6.3 Covid-Era Reallocation: Demand vs. Supply

Finally, I use the model to decompose the Covid-era shock into a “demand” component and a “supply” component.

Between 2019 and 2021, U.S. truckload markets experienced dramatic changes: outbound prices from key ports spiked, quantities on certain lanes surged, and capacity visibly reallocated (Figures 7 and 10).



I ask: how much of these changes can be explained by shifts in freight demand, and how much by shifts in trucking supply (i.e., changes in effective operating costs  $\xi_{jk}$ )?

**Setup.** For each lane  $(j, k)$ , I recover: - baseline driver costs  $\xi_{jk,2019}$  and  $\xi_{jk,2021}$  from the model inversion in Section 5.2; - baseline bilateral demand shifters  $a_{jk,2019}$  and  $a_{jk,2021}$  from the Armington system in Section 6.1.

I then construct two counterfactual scenarios:

1. **Demand-only change.** I allow the demand shifters to move from  $a_{jk,2019}$  to  $a_{jk,2021}$ , holding supply-side costs fixed at  $\xi_{jk,2019}$ . Intuitively: “What if all that happened between 2019 and 2021 was that downstream buyers wanted more (or less) of particular lanes, but driver costs never changed?”

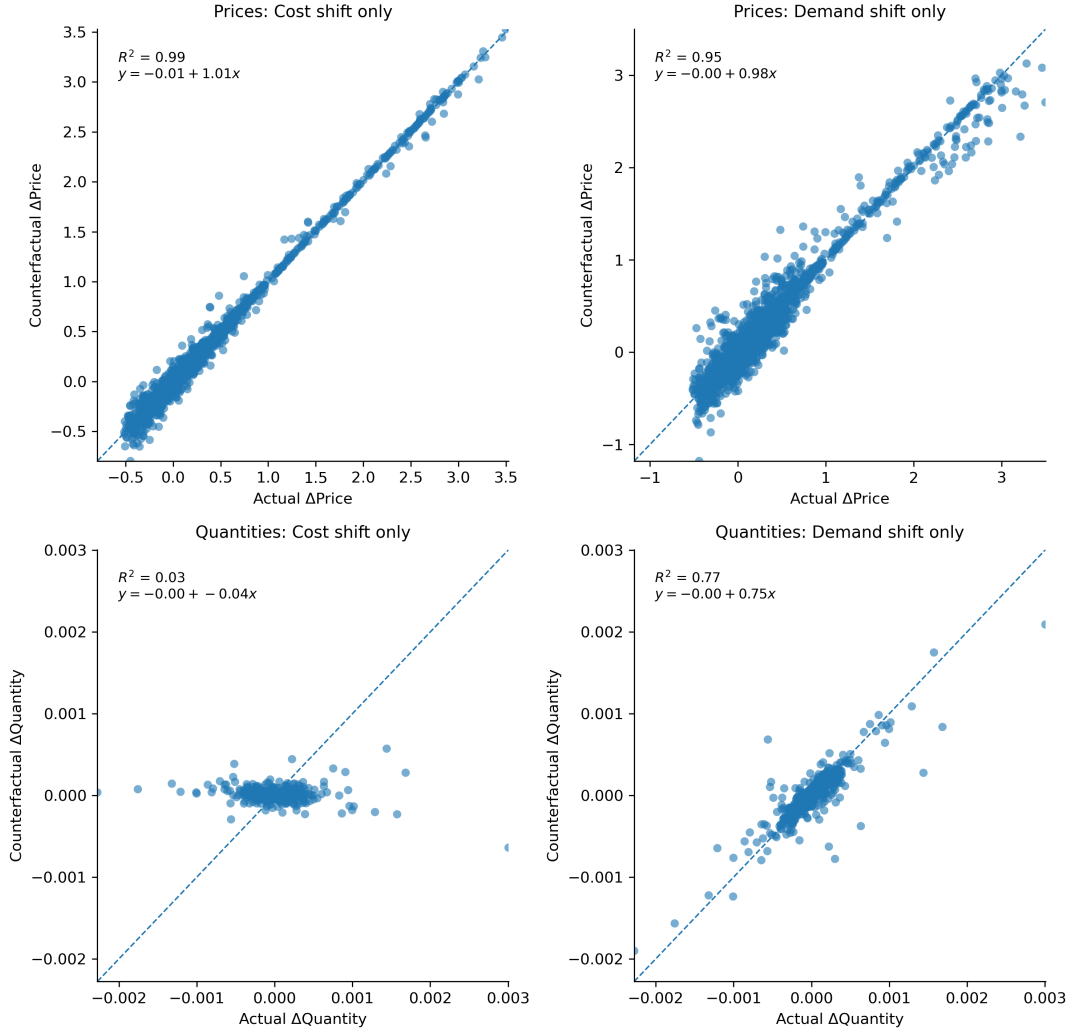
2. **Cost-only change.** I allow supply-side costs to move from  $\xi_{jk,2019}$  to  $\xi_{jk,2021}$ , holding demand shifters fixed at  $a_{jk,2019}$ . Intuitively: “What if the only thing that changed was that it got more expensive (or cheaper) to run certain lanes — due to fuel prices, labor scarcity, congestion — but underlying freight demand never shifted?”

In each counterfactual, I solve for equilibrium transport prices and quantities. I then compare, across lanes: the *observed* change from 2019 to 2021 in prices and market shares, the model-predicted change under Demand-shifts only, and the model-predicted change under Cost-shifts only.

Figure 12 plots these comparisons. Each panel is a scatterplot of observed 2019–2021 changes (horizontal axis) against predicted 2019–2021 changes under one counterfactual (vertical axis). The top row compares trucking price changes; the bottom row compares changes in lane market shares.

**Findings.** 1. **Quantities (market shares) require demand shifts.** The bottom panels of Figure 12 show that shifting driver costs  $\xi_{jk}$  while holding demand fixed ( $a_{jk}$  at 2019 levels) produces essentially no explanatory power for changes in observed market shares. In contrast, letting demand move while holding costs fixed captures the broad reallocation of freight across lanes. Interpretation: which lanes grew (or shrank) in volume during Covid was driven by where downstream buyers wanted goods moved, not by changes in trucking costs.

2. **Prices reflect both demand pressure and cost pressure.** The top panels show that both counterfactuals — demand-only and cost-only — generate meaningful variation in lane-level price changes. Demand shocks (import surges, consumption reorientation toward goods) pushed up prices on lanes serving ports and their feeder markets. At the same time, increases in effective operating costs  $\xi_{jk}$  (driver scarcity, congestion, time costs) also contributed to higher observed prices.



**Figure 12:** Observed vs. counterfactual changes in lane-level trucking prices (top row) and market shares (bottom row), 2019–2021. “Demand only” means  $a_{jk}$  updated to 2021 levels with  $\xi_{jk}$  held at 2019; “Cost only” means  $\xi_{jk}$  updated to 2021 with  $a_{jk}$  held at 2019.

That changes in demand are necessary to explain the shifts in quantities is intuitive. In this setting, given transport price’s estimated share of goods prices (about 2%), transport demand behaves inelastically. As a result, changes in driver costs will affect transport prices but not enough to shift market shares to match observed changes.

## 7 Conclusion

This paper develops and estimates a flexible model of trucking supply in which truck drivers are forward-looking and can move empty between locations. I show that this modeling flexibility is key to understanding observed correlations in transport prices, and to understanding the transport industry’s response to Covid-era import shocks. I show how to estimate this model using market-level data, discipline it with quasi-experimental shocks, and embed it in a tractable spatial demand system. In doing so, I provide a framework for thinking about how changes in changes in demand propagate through trucking markets and into downstream consumer prices.

At the same time, the analysis is intentionally partial. I treat downstream expenditure levels as exogenous when I solve counterfactuals, so the model does not close general equilibrium in product markets. I also focus on the cost of line-haul trucking and model “trade costs” as dollars per truckload, even though time is likely an important contributor to effective trade costs. A full general-equilibrium treatment would allow shippers to substitute across modes and would recognize components of trade costs apart from transport prices.

These limitations point to several directions for future work. First, close the model in general equilibrium by allowing destination expenditure  $E_k$  to adjust endogenously when transport prices change. Second, while I show that changes in trucking prices predict cross-city differences in goods inflation, I do not directly estimate pass-through at the product level. Linking lane-level transport prices to scanner data or customs-level unit values would allow for a direct measurement of how, and how quickly, transport shocks feed into consumer prices.

The broader lesson of this paper is that transportation is an allocative sector that can absorb, redirect, and amplify shocks. Bringing that sector inside spatial models changes how we interpret episodes like the Covid import boom and creates a path for evaluating policies that operate through logistics rather than production.

## References

- Allen, Treb and Costas Arkolakis, “The welfare effects of transportation infrastructure improvements,” *The Review of Economic Studies*, 2022, 89 (6), 2911–2957.
- , David Atkin, Santiago Cantillo Cleves, and Carlos Eduardo Hernandez, “The Traveling Trucker Problem,” in “AEA Papers and Proceedings,” Vol. 114 American Economic Association 2014 Broadway, Suite 305, Nashville, TN 37203 2024, pp. 334–339.
- Artuç, Erhan, Shubham Chaudhuri, and John McLaren, “Trade shocks and labor adjustment: A structural empirical approach,” *American Economic Review*, 2010, 100 (3), 1008–45.
- Bradbury, James, Roy Frostig, Peter Hawkins, Matthew James Johnson, Chris Leary, Dougal Maclaurin, George Necula, Adam Paszke, Jake VanderPlas, Skye Wanderman-Milne, and Qiao Zhang, “JAX: composable transformations of Python+NumPy programs,” <http://github.com/google/jax> 2018.
- Brancaccio, Giulia, Myrto Kalouptsi, and Theodore Papageorgiou, “Geography, transportation, and endogenous trade costs,” *Econometrica*, 2020, 88 (2), 657–691.
- Caliendo, Lorenzo, Maximiliano Dvorkin, and Fernando Parro, “Trade and labor market dynamics: General equilibrium analysis of the china trade shock,” *Econometrica*, 2019, 87 (3), 741–835.
- Cannon, Jason, “Tanking rates and soaring costs lead per-mile cost to record highs,” *Commercial Carrier Journal* June 2024. Accessed 2025-10-30.
- Head, Keith and Thierry Mayer, “Gravity equations: Workhorse, toolkit, and cookbook,” in “Handbook of international economics,” Vol. 4, Elsevier, 2014, pp. 131–195.
- Rader, Jason, Terry Lyons, and Patrick Kidger, “Optimistix: modular optimisation in JAX and Equinox,” *arXiv:2402.09983*, 2024.
- Redding, Stephen J and Esteban Rossi-Hansberg, “Quantitative Spatial Economics,” *Annu. Rev. Econ.*, 2017, 9, 21–58.
- U.S. Bureau of Labor Statistics, “Consumer Price Index for All Urban Consumers: Commodities in Boston–Cambridge–Newton, MA–NH (CBSA) [CUURA103SAC],” FRED 2025. Accessed October 1, 2025.
- U.S. Department of Transportation, “Freight Analysis Framework (FAF5),” 2017.
- Wong, Woan Foong, “The round trip effect: Endogenous transport costs and international trade,” *American Economic Journal: Applied Economics*, 2022, 14 (4), 127–166.
- Yang, Ron, “(Don’t) Take Me Home: Home Preference and the Interstate Trucking Market,” *Working Paper*, 2024.